Implementation of Hybrid Approach Based Compressive Sensing Algorithm for Image Reconstruction

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Abstract: **Compressive sensing based image reconstruction that improves the algorithm to applying hybrid approach which is DWT and DCT. First, by using wavelet transform, wavelet low frequency of the sub bands in which the image is decomposed in to low frequency and high frequency wavelet coefficients, second is to applied DCT on low frequency coordinates and construct the hybrid transformation. Use the measurement matrix measure the high frequency coefficient components and combine with DCT low frequency components image and sparse signal output is applied on compressive sensing. In compressive sensing, random measurement matrices are generally used and ℓ1minimisation algorithms often use linear programming to cover sparse signal vectors. But explicitly constructible measurement matrices providing performance guarantees were and ℓ1minimisation algorithms are often demanding in computational complexity for applications involving very large problem dimensions. To improve the PSNR (pick signal to noise ratio) of reconstructions image uses different matrices such as Gaussian random matrix, hadmard matrix.**

Keywords: **DWT and DCT, hybrid approach, PSNR (pick signal to noise ratio).**

1. INTRODUCTION

In digital multimedia technology is applicant in almost every field of the communication such as in digital images and video processing uses increased tremendously because of the advance computers and digital cameras. Therefore, the size of the data could be affected on memory space, bandwidth, and transmission time and transmission rate.so, compression method is applied to reduce the size of the data in terms of the redundancy and discarded that all components therefore less time will be required to download these images. Best performance of the image compression techniques is wild area in digital communication. There are several image compression techniques but mainly applicant on images such as Discrete Cosine Transform (DCT), Discrete Wavelet Transform (DWT), and Huffman Technique, arithmetic coding etc. At last reconstruction the image to use linear programming to cover sparse signal vectors techniques and improve compressive sensing algorithm.

DCT: This technique has some important properties: 1.finite sequence of data points is articulated. 2. These sequences are oscillated in terms of cosine functions.3. This data points are generating at different frequencies. In this case cosine function has been used for real image instead of sine function for image compression.

DWT: This method is consisting basically couple of main parts, first is numerical analysis and second is functional analysis. In this both types of analysis, the wavelets are sampled as a self-ruling or sovereign unit of division of sub bands. Wavelet transformation is the essential mainstay which is used for signal processing and image compression. The wavelet is dividing the signal in to the sub bands and set up different window scaling from of basic functions.

JPEG: This technique is famous for its proficient compressing compensate else fullcolour or grey scale digital images. This technique is deliberated lossless and lossy technique.

JPEG 2000: JPEG 2000 improves rate-distortion trade-off and subjective image quality. In this technique we can store different part of same picture using different quality. The implements class of JPEG is JPEG 2000. JPEG 2000 has same quality components of JPEG in appearance to features ascendable and edits ability. [3][12]

Compressive Sensing: Compressive sensing is reconstruction of the signals or images that contains common type of structures that, enables and intelligent and concise representation. Image is compressed by partial numerical of projections, hence it ashen the saddle with processing, storage, and transmission. At the receiver, the sparse recovery surety to recovered images with less differences conflicts with the base truth.

2. PROJECT WORK FLOW

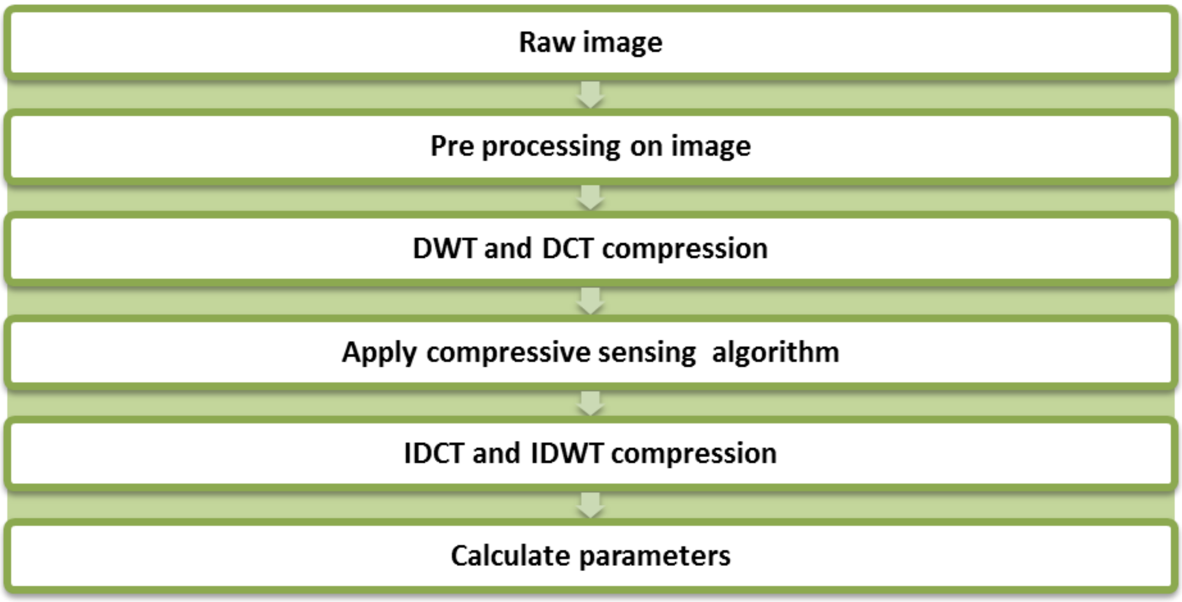

Figure: 1 Work flow of image reconstruction

Table 1 file information

File information	**Image 1**	**Image 2**
File format	.bmp	.bmp
Size	26.6 MB	1.2MB
Dimensions	6016 X 4000	1672 X 2104

3. RAW IMAGES TAKEN AS INPUTS

DESCRIPTION:

Hybrid Subspace Sparse Sampling: Digital imaging is not easy beyond visible spectrum and especially for large scale images. Imaging based on compressive sensing is a promising strategy to tackle such problems since there are large number of measurement which large capturing time. If the compression ratio could be improved while maintaining the same image quality, shorter acquisition times would be possible.

Lower frequency region has most coefficients concentrated for natural images. However there always exist some frequency coefficient which are low that are too small to be significant. Thus the direct measurements that correspond with these zero coefficients would be wasted. Inspired by dimensional reduction in data analysis where data are represented by its structural components, a novel projection matrix is proposed to sense the structure of an images sparsity.

The image reconstruction and multi-scale image recovery schemes are used to reduce number of required measurements .Proposed one hybrid pattern which uses the low frequency information measured via DCT and DWT during acquisition to enhance the subsequent compressed image. This hybrid patterns and compare to proposed hybrid subspace sparse (HSS) sampling and expected to improve the image quality at the same sample ratio.

4. BLOCK DIAGRAM

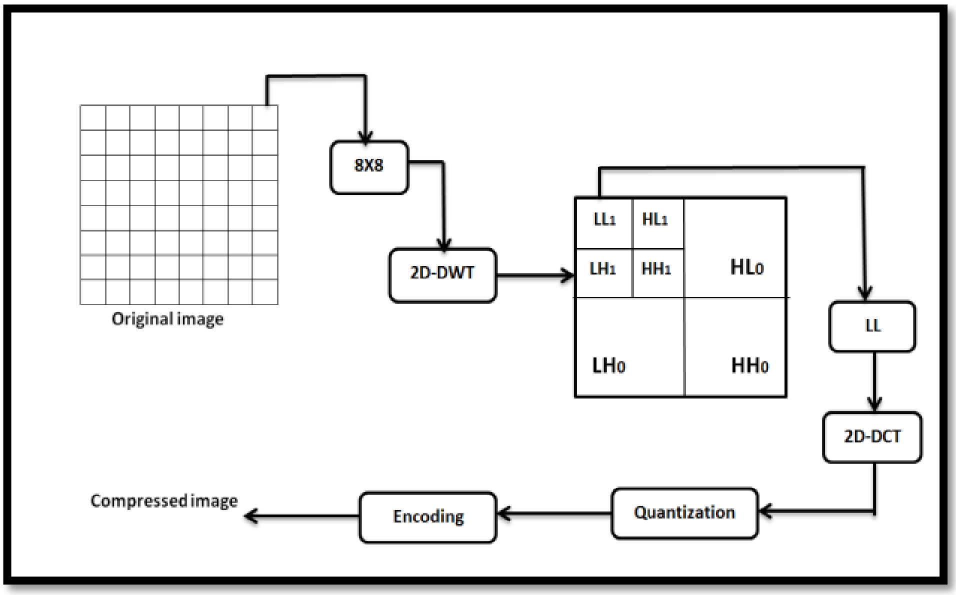

Figure:2 Compression technique using Hybrid transform [3]

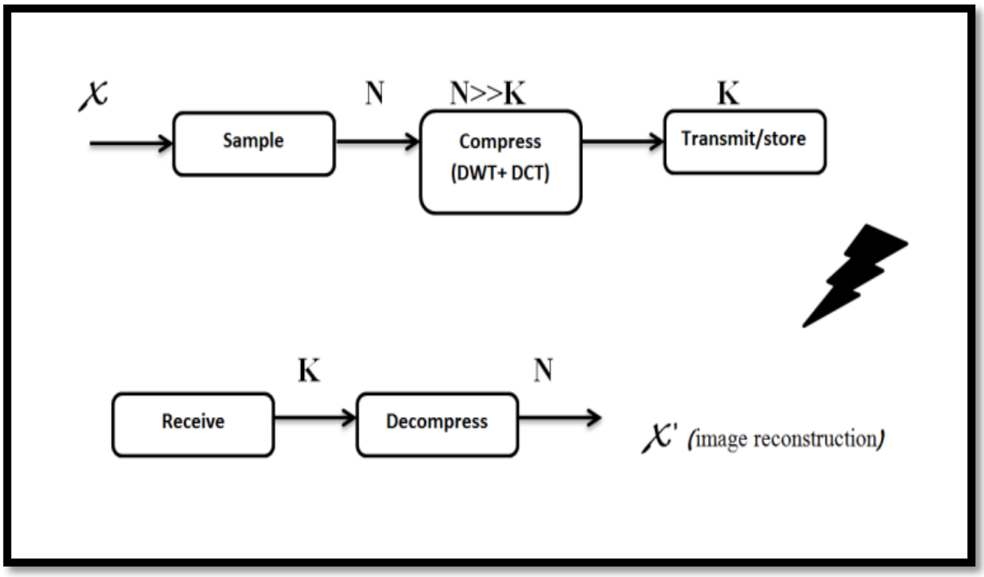

Figure: 3: Basic block of compressive sensing [6]

5. HYBRID MEASUREMENTS

The image quality depends only on the number of measurements used for the reconstruction instead of the particular subset or order of the measurements. However, this scheme is confined to static or slow moving scenes, because of the large number of required measurements so from this process compression ratio should be increased and consume the response time.

M*N measurement samples, reconstruction algorithms are used to reconstruct the image. The wavelet decomposition divides the image into high-frequency coefficients and low-frequency coefficients, most high-frequency coefficients are around zero and therefore can be considered as sparse. However, the low frequency coefficients cannot be considered as sparse since they concentrate most of the image energy and they are the approximation of the original image. Therefore, when putting the low-frequency coefficients together with the high frequency coefficients to multiply with the measurement matrix, the coherences among the low-frequency coefficients will be disrupted, and the reconstructed image will have a degraded performance.

Besides sparsity, another character natural scenes have is that the most nonzero coefficients mostly concentrate in the lower frequency portion of the spectrum, the standard image compression format JPEG is based on this character. To keep only the low frequency components of the image and neglect other components reduces the image size considerably. However, in this way the high frequency components would be discarded almost regardless of compression ratio. Thus the image would lose some high frequency details. Since the high frequency components are sparse but very image specific, they are ideal for encoding with the randomized measurements. Thus we designed hybrid patterns composed of two types of patterns, low frequency patterns Φs and random projection Φr.[15]

Here patterns Φs are used to extract the low frequency components/structure. Once the low frequency part is subtracted from the image, the target image would become sparser and the number of random projection used for CI would be smaller. Thus a higher compression ratio is expected. In this section two methods used to generate low frequency components/structure patterns will analyse the optimal number of low frequency components patterns to form the hybrid patterns for both methods.

Image recovery: For two hybrid pattern, using on DWT and DCT, the image reconstruction Process, the low frequency components/structure measurement as bs and the random measurement as br. Image recovery is to reconstruct x from the inverse problem in Eq. (1).

$$\begin{bmatrix} \Phi_s \\ \Phi_r \end{bmatrix} x = \begin{bmatrix} b_s \\ b_r \end{bmatrix} \quad (1)$$

Steps to recover image:

Step 1: Extract the low frequency components/structure from corresponding measurements through least square minimization see in Eq.

$$\widehat{x}_s = \min_{x_s} \| \Phi_s x_s - b_s \|_2 \quad (2)$$

Step 2: Calculate the equivalent random measurements of the high frequency residual through subtracting measurements the prior knowledge from the corresponding measurements of whole image.

$$b_h = b_r - \Phi_r \widehat{x}_s \quad (3)$$

Step 3: Reconstruct the higher frequency residual through norm 1 minimization

$$\widehat{s} = \min_s \{ \| s \|_1 : b_h = \Phi_r \Psi s \} \quad (4)$$

Step 4: Add two parts to generate the final reconstructed image

$$\widehat{x} = \widehat{x}_s + \Psi \widehat{s} \quad (5)$$

Compressive sensing, address these inefficiencies by directly acquiring a compressed signal representation without going through the intermediate stage of acquiring N samples. Consider a general linear measurement process that computes M < N inner products between x and a collection of vectors {φj}=1 as in yj=(x,φj). Arrange the measurements yj in an M×1 vector y and the measurement vectors φ t, j as rows in an M×N matrix . Then, by substituting , y can be written as

y= Φx = ΦΨs = θs (2)

where θ=ΦΨis an M×N matrix. The measurement process is not adaptive, meaning that Φ is fixed and does not depend on the signal x. The problem consists of designing a) a stable measurement matrix Φ such that the salient information in any K-sparse or compressible signal is not damaged by the dimensionality reduction from x∈ RN to y∈ RM and b) a reconstruction algorithm to recover x from only M ≈ K measurements y (or about as many measurements as the number of coefficients recorded by a traditional transform coder).

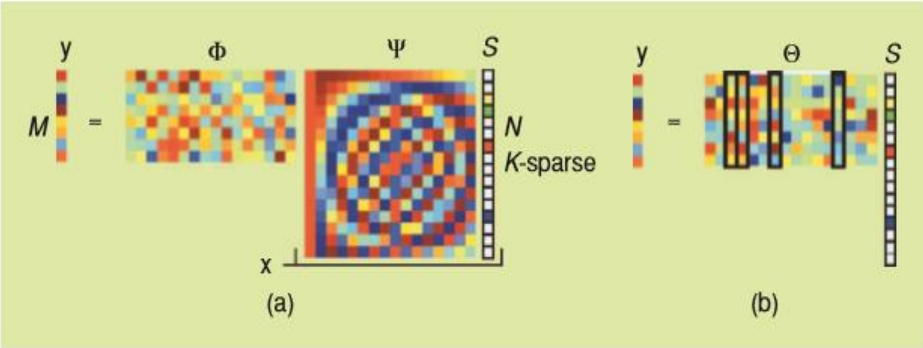

Figure 4: (a) Compressive sensing measurement process with a random Gaussian measurement matrix Φ and discrete cosine transform (hybrid) matrix Ψ. The vector of coefficients s is sparse with K =. (b) Measurement process with θ =ΨΦ. There are four columns that correspond to nonzero Ψ coefficients; the measurement vector y is a linear combination of these columns.[5]

6. RESULTS

Table: 2 comparisons of results

NO.	ALORITHMS	PAPERS RESULTS (db.)	PROJECT RESULTS PSNR (db.)
1	DCT [2]	26.23	Image1-28.35 Image 2-24.33
2	DWT [2]	40.36	Image1-40.21 Image 2-42.07
3	DWT+DCT BASED CS[1] [3]	46.56	Image1-46.40 Image 2-47.31

Table: 3 Using different matrices for image reconstruction in the improved CS algorithm

NO.	MEASUREMENT MATRIX	PROJECT SIMULATION RESULTS PSNR(db)	BASE PAPER RESULTS PSNR(db)[1]
1	Gaussian random matrix	Image1:42.025 Image2:42.039	30.0455
2	Bernoulli matrix	Image1:42.2082 Image2:42.2028	30.1990
3	Toeplitz matrix.	Image1:42.3292 Image2:42.3261	30.1518
4	Hadamard matrix	Image1:42.5228 Image2:42.5254	32.2892

7. CONCLUSION

In this thesis, two ways of improving compressive sensing and imaging system's efficiency are demonstrated. Hybrid subspace sparse sampling is designed to superior the compressive imaging. Here, discussed to implement on the compressive image as two methods with the random projection, these methods more rapid classification compared with purely measurements matrix. Actually the number of required measurement for making reasonable classification decision is reduced by when utilizing projection patterns. Pattern is very robust to reduce the noise and get better quality image after reconstruction. Compressive imaging and compares two hybrid (DCT+DWT) compressive image conspired real time application and experimental. These hybrid compressive imaging methods providing of predesigned patterns to extract the low frequency formation coupled with random projections broadly used for compressive imaging. Presents an acquire data comparison for novel dimensional reduction methods for compressive classification, which are on the prior knowledge to improve to adapted L1 technique based in basis pursuit to define sparse coefficient.

To sum up, large amount of easily achievable image data nowadays, on one hand do challenge current image processing, transmission and storage abilities. On another hand, they are source of knowledge that could take advantages from to design more efficient acquisition systems.

Reconstructed image performance comparisons are given for different measurement matrices uses as Gaussian random matrix, Bernoulli matrix, hadamard matrix, Toeplitz matrix to get better reconstructed image performance pull off with higher accuracy.

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